$a$ 에서 함수 $f$ 의 미분
(The derivative of a function $f$ at a number $a$ )

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The derivative

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The derivative of a function \(f\)

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Github:
https://min7014.github.io/math20240112001.html

\section*{Click or paste URL into the URL search bar, and you can see a picture moving.}```

