

# 분수방정식 기본 예제

(Basic Example of Fractional Equations)

# Basic Example of Fractional Equations

▶ Start

▶ End

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▶ Start

▶ End

▶ Start

▶ End

$$\frac{x}{x+1} + \frac{2}{1-x} = \frac{4}{1-x^2} \cdots (1)$$

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$$\therefore x = 2$$

Github:

<https://min7014.github.io/math20210210001.html>

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and you can see a picture moving.