

# 복소수의 상등 (The Equality of Complex Numbers)

$$a, b, c, d \in \mathbb{R}$$

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$$a + bi = c + di$$

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$$a + bi = c + di \Leftrightarrow$$

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$$a, b, c, d \in \mathbb{R}$$
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Proof



$$a, b, c, d \in \mathbb{R}$$
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$$a, b, c, d \in \mathbb{R}$$
$$a + bi = c + di \Leftrightarrow a = c \wedge b = d$$

Proof

$$a + bi = c + di$$
$$a - c = (d - b)i$$

$$a, b, c, d \in \mathbb{R}$$

$$a + bi = c + di \Leftrightarrow a = c \wedge b = d$$

Proof

$$\begin{aligned} a + bi &= c + di \\ a - c &= (d - b)i \\ (a - c)^2 &= (d - b)^2 i^2 \end{aligned}$$

$$a, b, c, d \in \mathbb{R}$$

$$a + bi = c + di \Leftrightarrow a = c \wedge b = d$$

Proof

$$\begin{aligned} a + bi &= c + di \\ a - c &= (d - b)i \\ (a - c)^2 &= (d - b)^2 i^2 \\ (a - c)^2 &= -(d - b)^2 \end{aligned}$$

$$a, b, c, d \in \mathbb{R}$$

$$a + bi = c + di \Leftrightarrow a = c \wedge b = d$$

Proof

$$a + bi = c + di$$

$$a - c = (d - b)i$$

$$(a - c)^2 = (d - b)^2 i^2$$

$$(a - c)^2 = -(d - b)^2$$

$$(a - c)^2 + (d - b)^2 = 0$$

$$a, b, c, d \in \mathbb{R}$$

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Proof

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$$a - c = (d - b)i$$

$$(a - c)^2 = (d - b)^2 i^2$$

$$(a - c)^2 = -(d - b)^2$$

$$(a - c)^2 + (d - b)^2 = 0$$

$$a - c = 0 \quad \wedge \quad d - b = 0$$

$$a, b, c, d \in \mathbb{R}$$
$$a + bi = c + di \Leftrightarrow a = c \wedge b = d$$

Proof

$$\begin{aligned}a + bi &= c + di \\a - c &= (d - b)i \\(a - c)^2 &= (d - b)^2 i^2 \\(a - c)^2 &= -(d - b)^2 \\(a - c)^2 + (d - b)^2 &= 0 \\a - c = 0 &\wedge d - b = 0 \\a = c &\wedge b = d\end{aligned}$$

Github:

<https://min7014.github.io/math20210125001.html>

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